

## ERRATA

Corrections to

### ON GROUPS WITH A SINGLE INVOLUTION

J. MALZAN

Volume 57 (1975), 481-489

My recent paper "On Groups with a Single Involution" in the last volume of this journal makes, in the proof of Theorem II, the erroneous claim that  $A_7$  has no nonsplit extension of degree 2. In fact, the Schur multiplier for this group is cyclic of order 6 and so  $A_7$  admits a unique nonsplit extension (call it  $G$ ) of degree 2. In the context of that proof what is required is that  $G$  shall have no absolutely irreducible representation which is both real and faithful. Seeing that this is so is a matter of direct computation which, while lengthy, is straightforward (involving inducing from the nonsplit extension of degree 2 of  $A_5$  and  $A_6$ ) and reveals that all the absolutely irreducible, faithful representations of  $G$  are of the second kind, except for a complex conjugate pair which is of the third kind. Theorem II, consequently, stands.

Correction to

### COMPACTLY COGENERATED LCA GROUPS

D. L. ARMACOST

Volume 65 (1976), 1-12

*Added in proof.* The group  $Q$  has been inadvertently omitted from the list of groups appearing in Theorem 6.1. It arises because the compact open subgroup  $0$  in the proof could be trivial, in which case  $G$  is discrete. This change should also be noted in the abstract.

Correction to

### BIFURCATION OF OPERATOR EQUATIONS WITH UNBOUNDED LINEARIZED PART

D. WESTREICH

Volume 57 (1975), 611-618

p. 611, line 22: insert "the" between "where" and "characteristic".

p. 612, line 5: replace " $\alpha(T) = p < \infty$  and  $\delta(T) < \infty$ " by

$$" \alpha(T) = q < \infty \text{ and } \delta(T) = p < \infty " .$$

p. 612, line 6: replace " $\alpha(T) = \delta(T)$ ," by

$$" \alpha(T) \leq \delta(T), R_q(T) \cap N_q(T) = \{0\}, " .$$

p. 612, line 2 from bottom: replace " $\alpha$ " by " $\delta$ ".

p. 613, line 13: insert after " $R_p(T)$ ." " $\text{Moreover as } N_q(T) = N_p(T)$   
and  $R_q(T) \supseteq R_p(T)$ , where  $q = (T)$ , we have  $\alpha(T) = p$ ."