CORRECTIONS TO 'CHARACTER THEORY OF FINITE GROUPS WITH TRIVIAL INTERSECTION SUBSETS (Vol 27, 515—524)

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1. The conditions (TI 1) and (TI 2) are stated for $\boldsymbol{H}=\mathfrak{N}_G(\boldsymbol{D})$ and henceforth in the paper $\boldsymbol{H}$ is understood to be $\mathfrak{N}_G(\boldsymbol{D})$ when $\boldsymbol{D}$ is taken to be a T.I. subset of $\boldsymbol{G}$. Also in the definition of T. I. subset the condition is that $\boldsymbol{D} \cap \boldsymbol{D}^G \neq \phi$ where ϕ is the empty set.

2. Just before formula (11), the symbol should read

$$\{\varepsilon(\tau_i)\xi_i \mid \varepsilon(\tau_i)\xi_i^{\tau_i}=\Xi\}.$$

3. In the statement of Proposition 8, the penultimate sentence should read: '*If $\boldsymbol{D}$ contains a section $\mathfrak{S}_{\boldsymbol{H}}(P)$ of a p-element P belonging to a defect group $\boldsymbol{V}$ of $\mathfrak{B}^G$, then $\mathfrak{Z}_G(\mathfrak{C}_G, (\boldsymbol{D}^G, \mathfrak{B}^G))$ contains all characters of zero height in $\mathfrak{B}^G$.*' It is required to know that $\Xi(R)\neq 0$ in the proof for a character Ξ of $\mathfrak{B}^G$ for an appropriate p-regular element R in order to have $\Xi(PR)\neq 0$ where $PR \in \boldsymbol{D}$. The assumption of zero height is need to justify this step.

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