Theorem 3 and the Lemma give precisely the amount of uniformity required to obtain two sequences of pushes ϕ^1, ϕ^2, $\cdots$ and ψ^1, ψ^2, $\cdots$ of $(Q, f(M))$ (converging to $\epsilon/2$-pushes ϕ and ψ of $(Q, f(M))$), respectively, such that $\phi f = \psi g$. The desired ϵ-push of $(Q, f(M))$ is the composition $h = \psi^{-1}\phi$.

Complete proofs of these results will appear in full elsewhere.

Added in proof. Since this announcement was submitted, some errors in the proof of Homma's approximation theorem have been discovered. Should these discrepancies not be rectified, then the restriction $q - m \geq 3$ must be replaced by $m \leq (2/3)q - 1$ in the statements of Theorem 1 and the corollaries.

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FLORIDA STATE UNIVERSITY, AND
    MICHIGAN STATE UNIVERSITY

ERRATUM, VOLUME 73