

CORRECTIONS FOR MY PAPER: A MODEL FOR
 LEŚNIEWSKI'S MEREOLGY IN FUNCTIONS

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In my paper, [1], an error was made. The analog for the category of names, denoted by $\mathcal{N}\langle\sigma\rangle$, is too restrictive. It fails to have an analog for \wedge , the empty name. To correct this error, the following changes must be made.

DN1 $[\sigma] :: \mathcal{N}\langle\sigma\rangle .\equiv:: [a] : !(a) .\equiv. [\exists A] . A \varepsilon \sigma(a) : [Aa] : A \varepsilon \sigma(a) .\supset$
 $: A = 0 . \vee . A = 1 : [ABa] : A \varepsilon \sigma(a) . B \varepsilon \sigma(a) .\supset . A = B$

DN2 $[\Sigma] : \mathcal{J}\langle\Sigma\rangle .\equiv:: \mathcal{N}\langle\Sigma\rangle : [\exists a] . 1 \varepsilon \Sigma(a) : [ab] : 1 \varepsilon \Sigma(a) . 1 \varepsilon \Sigma(b) .\supset . a \circ b$

N4

2) $\mathcal{J}\langle\Sigma\rangle .$ [DN3, 1]
 3) [DN2, 1]

Note: This indicates that step 3) is unchanged, but the reason is changed.

N18

2) { [DN2, 1]
 3) }

METATHEOREM:

*3

Eliminate step 3)

4) [DN2, 2]

*4

4) { [DN3, 2]
 5) }

6) [DN2, 4]

N31

3) [DN2, 1]

N37

4) [DN2, 3]

Eliminate *N40* and replace by

$N39a$	$[\Phi a]: \sim(\Phi\eta\Phi). ! (a) \cdot \neg 0 \varepsilon \mathbf{el}\langle\Phi\rangle (a)$	$[DN5, N0]$
$N40$	$[\Phi a]: ! (a) \cdot \equiv. [\exists A]. A \varepsilon \mathbf{el}\langle\Phi\rangle (a)$	$[N37, N39a, DN5]$
$N41$	$[\Phi]. \mathcal{N}\langle\mathbf{el}\langle\Phi\rangle\rangle$	$[DN1, N40, N38, N39]$
$N42$		$[N33, N41]$
Eliminate $N50$.		
$N51$		$[DN1, N46, N47, N48, N49]$
$N54$	6) $\mathcal{J}\langle\Phi\rangle.$	$[N1, 5]$
$N56$	3) $\mathcal{J}\langle\Sigma\rangle.$	$[N1, 1]$
$N59$	5) $\mathcal{J}\langle\Sigma\rangle.$	$[N1, 1]$
	6)	$[DN2, 5]$
$N62$	Replace steps 2) and 3) by	
	2) $\mathcal{J}\langle\Sigma\rangle:$	}
	3) $[a]: 1 \varepsilon \Sigma(a) \cdot \neg 1 \varepsilon \sigma(a):$	
	$[\exists a]:$	$[DN3, 1]$
	3a) $1 \varepsilon \Sigma(a).$	$[DN2, 2]$
	3b) $1 \varepsilon \sigma(a)$	$[3, 3a]$

REFERENCE

- [1] Clay, R. E., "A model for Leśniewski's mereology in functions," *Notre Dame Journal of Formal Logic*, vol. XII (1971), pp. 467-478.

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