

**Correction to “Modulo odd prime homotopy
normality for H -spaces”
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By

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In Theorem 3.3 in the paper titled above, we used the assumption that there does not exist any primitive elements of degree $2(p^2 - 1) + 3$ nor $2(p^2 - 1) + 2p + 1$ in $H^*(Y; Z/p)$. However the proof was given only by the assumption of the non-existence of primitive elements in $K(2)^*(Y)$. For these dimensional elements, primitive in $K(2)^*(Y)$ is equivalent to modulo (Q_2) primitive in $H^*(Y; Z/p)$, namely, $\phi(x) = x \otimes 1 + 1 \otimes x \text{ mod}(Q_2)$ for the coproduct map ϕ .

Therefore we must change the assumptions “*primitive*” to “*mod*(Q_2) *primitive*” (resp. “*mod*(Q_3) *primitive*”) in Theorem 3.3, Corollary 3.4 (resp. Theorem 4.3).

Moreover in Corollary 3.4 and Corollary 3.6, the dimensional assumption $2(p^2 - 1) + 2p + 1$ is also needed. (The proof of Corollary 3.4 was an error.) Indeed, we must add the degree 23 for $p = 3$ and 59 for $p = 5$.

These results were quoted in the recently published paper by the same authors (“Note on homotopy normality and the n -connected fiber space.” Kyushu J.Math. 54 (2000)). Hence similar changes are needed. However these results are not used other parts of the paper.

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