

## REFERENCES

Only works mentioned in the text (Notes) have been included among the references; for a more comprehensive bibliography, see Hájek and Pudlák (1993).

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