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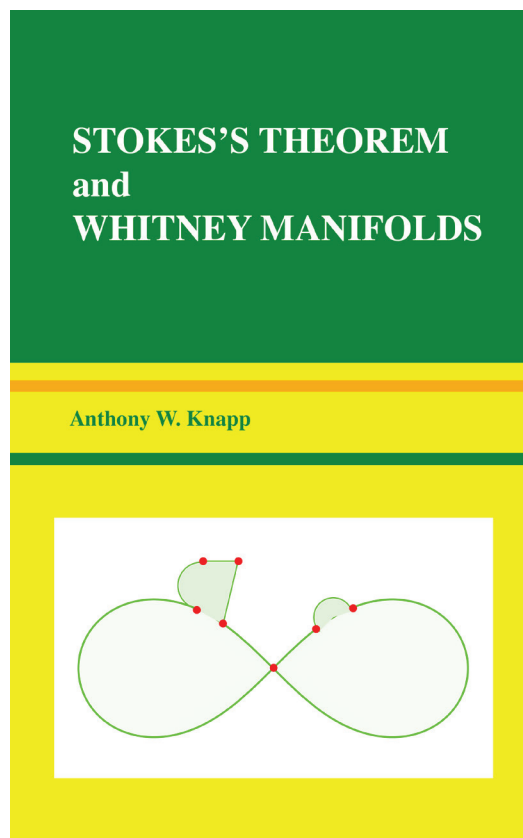
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***Stokes's Theorem and
Whitney Manifolds:
A Sequel to
Basic Real Analysis***

Anthony W. Knapp

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Title: Stokes’s Theorem and Whitney Manifolds. A Sequel to *Basic Real Analysis*.

Cover: An example of a Whitney domain in two-dimensional space. The green portion is a manifold-with-boundary for which Stokes’s Theorem applies routinely. The red dots indicate exceptional points of the boundary where a Whitney condition applies that says Stokes’s Theorem extends to the whole domain.

Mathematics Subject Classification (2020): 58–01, 58A05, 58A35, 58C35, 26B20.

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