PERSPECTIVES IN MATHEMATICAL LOGIC

Heinz-Dieter Ebbinghaus
Jörg Flum

Finite Model Theory

Springer

Finite model theory has its origin in classical model theory, but owes its systematic development to research from complexity theory. The book presents the main results of descriptive complexity theory, that is, the connections between axiomatizability of classes of finite structures and their complexity with respect to time and space bounds.

A. Kanamori
The Higher Infinite
Large Cardinals in Set Theory from Their Beginnings
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After describing the theory of large cardinals, a comprehensive account is given of the work in the 1960s on partition properties, forcing and sets of reals, and aspects of measurability (including saturated ideals and inner models of measurability). Then discussed are the strong hypotheses like supercompactness up to Kunen's inconsistency.
The last sections describe the investigation of determinacy from its beginnings up to a survey of the recent consistency results of Woodin.
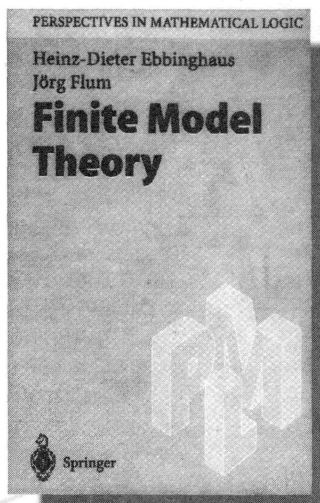
H.-D. Ebbinghaus, J. Flum
Finite Model Theory
1995. XV, 327 pages.
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Volume 4

A. Miller

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Softcover DM 54,–
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Volume 5

D. Marker, M. Messmer, A. Pillay

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