

**CORRECTIONS TO MY PAPER "LINEAR IMBEDDINGS
OF SELF-DUAL CONES"**

(Nagoya Math. J. Vol. 46 (1972), 121-145)

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P. 123, line 7 should read "... $SL(\nu, \mathcal{K})/\text{center}$ (except for the case $\mathcal{K} = K, \nu = 1$), ...".

Line 8: for " ${}^t g^{-1} x g^{-1}$ " read " ${}^t \bar{g}^{-1} x g^{-1}$ ".

P. 124, line 12: for " g " read " g' ".

P. 131, line 17: for " $\rho_1 \otimes \rho_0$ " read " $\rho_1 \otimes 1 + 1 \otimes \rho_0$ ", and for " $\rho'_1 \otimes \rho'_0$ " read " $\rho'_1 \otimes 1 + 1 \otimes \rho'_0$ ".

P. 132, line 5 ff. should read "... all (non-trivial) irreducible...".

P. 134, line 2: after " (\mathfrak{g}, ω_0) ." add "(We have the same conclusion in the case $\nu = 1$.)"

Line 12 should read "... , $\rho^S = (\rho'^S \circ p') \otimes 1 + 1 \otimes (\rho''^S \circ p'')$,"

Line 8 ff: after "*Case 3°*." add "In this case, we assume $\nu \geq 3$."

P. 135, line 16: after " (\mathfrak{g}, ω_0) ." add "(In the case $\nu = 2$, the same argument gives $\lambda_{\rho S} = \xi_1 = \eta_1$ or η_3 , i.e., $A_{\rho S} = \omega_1$ or ω_3 . Note that $\mathcal{P}(2, K)$ is isomorphic to the 6-dimensional quadratic cone and these two representations correspond to the two spin representations discussed below.)"

P. 140, bottom: for "representation" read "representations".

P. 144, line 11: for "solution" read "structure".

P. 145, line 18: for "Berkely" read "Berkeley".