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How to use `sutj.cls`

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Abstract. The manuscripts for SUT Journal of Mathematics should be prepared using the journal class file `sutj.cls`. This paper explains how use the class file `sutj.cls`. The source file of this pdf contains comments on each entry and can be used for a sample file. If you have any question on this file, please contact the editor-in-chief of the journal.

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§1. Introduction

To submit a paper to SUT Journal of Mathematics, it is preferable to prepare the manuscript using `sutj.cls`. This file explains how to use it.

The environments Theorem, Proposition, Lemma, Corollary, Definition, Example, and Remark are already defined. Please use as they are.

Theorem 1.1. *The series*

$$\zeta(s) = \sum_n \frac{1}{n^s}$$

converges absolutely on the half plane $\Re(s) > 1$*.*

Proof. To write a proof, use the proof environment. □

Definition 1.2. The function $\zeta(s)$ in Theorem 1.1 is called the *Riemann zeta function.*

Example 1.3. It is known that $\zeta(2) = \pi^2/6$. Other special values at even positive integers are also known. To obtain these formulas, one uses the infinite product expression of $\sin z$:

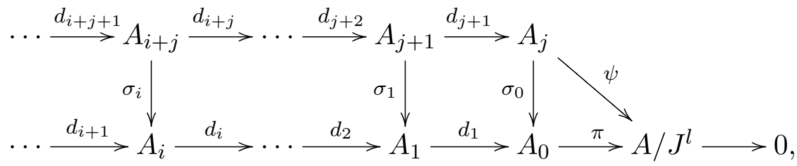
$$\sin z = z \prod_{n=1}^{\infty} \left(1 - \frac{z^2}{n^2\pi^2}\right). \tag{1.1}$$

The reference to the equation is like (1.1).

Remark 1.4. The function $\zeta(s)$ has an analytic continuation on the whole complex plain.

References citations are like [2, Theorem V.2.1] and [1].

A commutative diagram can be written by `xymatrix`:



Formulas in multiple lines are better typeset using `align*` (or commands alike) than obsolete `eqnarray`:

$$\begin{aligned} f(x) &= \cos x, \\ g(x) &= \exp x. \end{aligned}$$

Acknowledgments

Your grant information should be included here.

References

[1] E. Hecke, Zur Theorie der elliptischen Modulfunktionen, Math. Ann. **97** (1926), no. 1, 210–242.

[2] J. Neukirch, *Algebraic number theory*, Grundlehren der Mathematischen Wissenschaften, vol. 322, Springer-Verlag, Berlin, 1999.

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