List of preferred symbols and notations

a_i	'Covariate function' in the generalized (non-) linear models
4	[(4.5.2), (4.12.3)]
A_n	Design matrix in the generalized linear models $[(4.5.5)]$
B	Parameter space. Subset of finite-dimensional vector space
	[Section 2.2]
$\underline{B}_n(\delta)$	Relatively open neighbourhood of β_0 [(4.2.8)]
$\overline{B}_n(\delta)$	Relatively closed neighbourhood of β_0 [(4.2.9)]
С	The complex numbers
c,c(eta)	Constant in the mixed cumulant conditions [Theorem 2.4.2]
D	The infinite sequence of log-likelihood differentials [Section 2.8]
$D_k(eta)$	The kth log-likelihood differential at β [(2.2.1)]
$D_k^{(n)}(\beta)$	The kth log-likelihood differential at β for the nth model in a
$\mathcal{L}_{k}(\mathcal{P})$	sequence $[(4.2.2), (5.1.5)]$
$D_{k,i}(eta)$	The kth log-likelihood differential at β in the model for Y_i
	[(5.1.4)]
E	The sample space [Section 2.2]
$E^{(n)}$	The sample space for the <i>n</i> th model in a sequence $[(4.2.1)]$
f(y; eta)	The density function in a model [Section 2.2]
$f^{(n)}(y^{(n)};\beta)$	The density function in the n th model in a sequence
	[(4.2.1), (5.1.3)]
$f_1(y;eta)$	The density function in the model for Y_i in Chapter 5 $((5.1.1))$
	The Fisher information at β [(2.3.16)]
$egin{array}{ll} I(eta) \ I^{(n)}(eta) \end{array}$	The Fisher information at β for the <i>n</i> th model in a sequence
I (P)	[(4.2.4), (5.1.6)]
$\operatorname{Lin}(V;W)$	The class of linear mappings from V to W [Definition 1.1.1]
$\operatorname{Lin}_k(V;W)$	The class of k-linear mappings from V^k to W [Definition 1.1.2]
\mathbf{N}	The natural numbers
$N(\mu,\Gamma)$	The normal distribution with mean μ and variance Γ
$\mathcal{N}(\mu, 1)$	[Definition 4.2.2]
D	• •
\mathbf{R}	The real numbers The set of second $(r_1, \ldots, r_n) \in \mathbb{N}^m$ with $\sum r_n = h$
$S_m(k)$	The set of sequences $(a_1, \ldots, a_m) \in \mathbb{N}^m$ with $\sum a_j = k$ [(1.2.24)]
$\operatorname{Sym}_k(V;W)$	The class of k-linear symmetric mappings from V^k to W
_	[Definition 1.1.2]
Т	The infinite sequence of centered log-likelihood differentials
- (1)	[Section 2.8]
T(k)	The set of sequences $(a_1, \ldots, a_k) \in \mathbb{N}_0^k$ with $\sum j a_j = k$ [(1.2.23)]
$U_a(eta_0)$	The <i>a</i> -distance neighbourhood of the parameter point β_0
	[(2.3.1)]

$U_0(eta_0)$	The neighbourhood of the parameter point β_0 from the definition
17 177 17	of an analytic model [Definition 2.2.1]
V, W, V_1, \ldots	Finite-dimensional real vector spaces[Section 1.1]The rendem variable on the sample space F [Section 2.2]
$egin{array}{l} Y,y \ Y^{(n)},y^{(n)} \end{array}$	The random variable on the sample space E [Section 2.2] The random variable on the sample space $E(n)$ for the state of the sample space $E(n)$ for the sample space E
$Y^{(n)}, y^{(n)}$	The random variable on the sample space $E^{(n)}$ for the <i>n</i> th model is a common function of 2 . Section 5.11
0	in a sequence [Section 4.2, Section 5.1]
$egin{array}{c} eta \ \hat{eta}_n(\delta) \end{array}$	Parameter in a statistical model [Section 2.2]
$\beta_n(\delta)$	The local maximum likelihood estimator [Definition 4.3.2]
$\hat{eta}_n(K)$	The maximum likelihood estimator within the set K
0	[Section 5.4]
θ	Parameter in the generalized (non-) linear models
0	[Section 4.5, Section 4.12]
Θ	Parameter space for the parameter θ [Section 4.5, Section 4.12]
θ	Parameter in the generated exponential family [Section 2.8]
Θ	The parameter space for the generated full exponential family
	[Section 2.8]
κ	Cumulant generating function [Definition 1.4.7]
κ_k	The k th cumulant of a random variable [Definition 1.4.3]
$\lambda,\lambda(eta)$	Factor in the mixed cumulant conditions. The index of the model
	[Theorem 2.4.2, Definition 2.5.1]
$\lambda^{(n)}(eta)$	The index of the <i>n</i> th model in a sequence [Section $4.2, (5.1.8)$]
μ	Moment generating function [Definition 1.4.6]
μ_k	The k th moment of a random variable [Definition 1.4.1]
$\mu_{k_1 \cdots k_m}$	Moments of the log-likelihood differentials $[(2.3.13)]$
ν	Underlying measure on the sample space [Section 2.2]
$\nu^{(n)}$	Underlying measure on the sample space for the n th model in a
	sequence [(4.2.1)]
ξ	Characteristic function [Definition 1.4.2]
ho, ho(eta)	Factor in the bound for the log-likelihood derivatives
	[Definition 2.2.1]
ϕ	Parameter in the generalized (non-) linear models
	[Section 4.5, (4.12.1)]
Φ	Parameter space for the parameter ϕ [Section 4.5, (4.12.1)]
$\Phi_{0,\Gamma}$	The measure for the normal distribution $N(0,\Gamma)$ [(5.2.6)]
$\chi_{k_1 \cdots k_m}$	Cumulants of the log-likelihood derivatives [(2.3.15)]
$\chi^{(n)}_{k_1\cdots k_m}$	Cumulants of the log-likelihood derivatives for the nth model in
$\kappa_{1} \cdots \kappa_{m}$	a sequence $[(4.2.3), (5.1.7)]$
ψ	Parameter in the generalized (non-) linear models
,	[Section 4.5, (4.12.1)]
Ψ	Parameter space for the parameter ψ [Section 4.5, (4.12.1)]
$\ \cdot\ _{I(\beta)}$	The Fisher information semi-norm $[(2.5.2)]$
$\ \cdot\ _n$	The Fisher information semi-norm from the n th model in a se-
11 11 //	quence $[(4.2.5), (5.1.9)]$
$[\cdot]_i, ext{etc.}$	Coordinate notation - the <i>i</i> th coordinate of a vector $[(1.1.5)]$
[]1,000.	