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FAQ settheory

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PUBLICLY AVAILABLE LOGIC PROBLEM SETS

Are there any ftp'able logic problem sets on the net (preferably in infix notation)? I am interested in problems in any logic (Classical, paraconsistent, relevant, etc); theorems as well as nontheorems. The larger the problem set the better as I will be using them to test a general purpose theorem prover I have written. While I can, and have, generated random theorems and nontheorems they are often uninteresting (e.g. Nontheorem \rightarrow Simple Theorem).

Please email me and I will summarize the responses in a later posting.

I am already aware of the problem sets that come with KRIPKE and Otter as well as the morgan problem set of anagram.mcs.anl.gov:/pub/ATP problems fame.

From: Anthony Bloesch (anthonyb@cs.uq.oz.au)