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CORRECTION TO

"COMPLEMENTS SUR LES MARTINGALES CONFORMES"

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Page 78, line 22 $\underline{dX}, dX^c, \underline{d\bar{X}}$ read $\underline{dX}, dX^c, \underline{\widetilde{dX}}$

Page 80, (1.3), line 3 $A_n, C_n 1_{\{S_n>s\}}$ read $A_n, (C_n)_s 1_{\{S_n>s\}}$

Page 81, line 11 $\tilde{X}^c \sim 0$ read $\tilde{X}' \sim 0$

———, line 12 $\tilde{X}^c \sim 0$ read $\tilde{X}' \sim 0$

———, footnote (5), line 3 égal à $\frac{1}{2}$ read égale à $\frac{1}{n}$

Page 83, (2.4), line 2 $X^c, \bar{X}, [X, X]$ read $X^c, \tilde{X}, [X, X]$

Page 86, line 2 $\boldsymbol{R}_+ \times \Omega$ read $\bar{\boldsymbol{R}}_+ \times \Omega$

———, Proposition 3.4 B), line 4 de V' par read de V par

Page 89, last line $s \in \bar{\boldsymbol{Q}}$ read $s \in \bar{\boldsymbol{Q}}_+$

Page 90, line 1, formula (4.7)

$$\bar{\partial}\varphi_k(M) 1_{[s,s[} \cdot [M', \bar{M}'] \quad \text{read} \quad \partial\bar{\partial}\varphi_k(M) 1_{[s,s[} \cdot [M', \bar{M}']$$

———, line 18

$$((\varphi(M))^{S-} - (\varphi(M))^S) 1_{\{S>s\}} \quad \text{read} \quad ((\varphi(M))^{S-} - (\varphi(M))^s) 1_{\{s>S\}}$$

Page 91, (5.2), line 4 (resp. $C_v^k + Ci_v^k$) read (resp. $C_v^k + iC_v^k$)

Page 93, line 9 $T^1(V; v) + iT^0(V; v)$ read $T^1(V; v) + iT^1(V; v)$

———, last formula (x, L) read $(x, L) \mapsto$

Page 95, line 2 from the bottom sous l'identité read sont l'identité

Page 96, (6.1.1), line 1 $DX^{i,j}$ read $dX^{i,j}$

———, line 2

$$\underline{dX}^{2,0} \text{ (complexe conjuguée)} \quad \text{read} \quad \overline{\underline{dX}}^{2,0} \text{ (complexe conjuguée)}$$

Page 97, line 7 $(dX^c)^{0,1} = (dX^{0,2})^c$ read $(dX^c)^{0,1} = (\underline{dX}^{0,2})^c$

Page 100, (6.8), line 2 $dX^{2,0}$ read $\underline{dX}^{2,0}$

——————, line 4 $dX^{2,0}$ read $\underline{dX}^{2,0}$

———, Corollaire 6.8, Demonstration, line 3

$$A = \boldsymbol{R}_+ \times \Omega \quad \text{read} \quad A = \bar{\boldsymbol{R}}_+ \times \Omega$$

Page 101, line 18 $0, +\omega$ read $0, +\infty$

———, footnote, line 4 $H \cdot Z$ dans $\mathcal{SH}$ read $H \cdot Z$ dans $\mathcal{SM}$

Page 102, last line et si $\bar{X}(\omega)$ read et si $\tilde{X}(\omega)$

Page 105, line 2 above (7.5.1)

$$\frac{|d\tilde{X}|}{\frac{1}{2}|d[X, X]|} \quad \text{read} \quad \frac{|\widetilde{\underline{dX}}|}{\frac{1}{2}|d[X, X]|}$$

———, last line

$$\int_s^t |\widetilde{dX_u}| \leqslant \int_s^t \rho_u |d\frac{1}{2} d[X, X]_u| \quad \text{read} \quad \int_s^t |\widetilde{dX_u}| \leqslant \int_s^t \rho_u |d\frac{1}{2} [X, X]_u|$$

Page 106, line 10 $\{\ \} = \bigcup_{\varphi \in C^2_{\text{comp}}}$ read $\{\ \} = \bigcap_{\varphi \in C^2_{\text{comp}}}$

Page 107, line 4

$T^2(V; X(t, \omega))$, telle read $T^2(V; X(t, \omega)$, optionnelle telle

———, line 5 norme $h|\rho(t, \omega)|$ read norme $|\rho(t, \omega)|$

———, line 8 $\rho^{\cdot}\frac{1}{2}[X, X]$ read $\rho \cdot \frac{1}{2}[X, X]$

Page 109, line 3 $t \rightarrow \int_s^t$ read $t \mapsto \int_s^t$

———, footnote (13), line 3 et $\{\int_s^T$ read et $\{\int_S^T$

————————, line 3 from below

$$\frac{1}{2}\sum_{i,j} \theta^{i,j} e_i \odot e_j \ \ \theta^{j,i} = \theta^{i,j} \quad \text{read} \quad \frac{1}{2}\sum_{i,j} \theta^{i,j} e_i \odot e_j, \ \theta^{j,i} = \theta^{i,j}$$

Page 112, line 2 before Proposition 7.12 $\underline{dX} =$ read $\widetilde{\underline{dX}} =$

Page 113, line 11 une action read une section

Page 114, line 2 $dt\, f \otimes f$ read $f \otimes \bar{f}\, dt$

Page 115, $T^{1,0}$, $T^{0,1}$ page 24 read $T^{1,0}$, $T^{0,1}$ page 92

$E \odot E$, $E \odot_I E$, page 94 read $E \odot E$, $E \odot_I E$, page 95