

## CORRECTION NOTES

### CORRECTION TO

#### “ADMISSIBLE BAYES CHARACTER OF $T^2$ -, $R^2$ -, AND OTHER FULLY INVARIANT TESTS FOR CLASSICAL MULTIVARIATE NORMAL PROBLEMS”

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In our paper “Admissible Bayes character of  $T^2$ -,  $R^2$ - and other fully invariant tests for classical multivariate normal problems” (*Ann. Math. Statist.* **36**, 747–770) the write-up of Lemma 3.1 is somewhat incomprehensible. We thank Tom Ferguson for pointing this out. One difficulty is that it is not made sufficiently clear that  $C^{(j)}$  in (3.9) is fixed and independent of  $\theta$  and *a fortiori* independent of  $i$ . The assumption is that  $\Pi$ , the original a priori measure for the problem without nuisance parameters, as well as any specified relationship between  $\theta$  and the  $\Sigma^{(i,j)}$ , allow the representation (3.9) with  $C^{(j)}$  fixed throughout. Similarly at the bottom of page 754,  $\Pi_{i,\theta}$  must assign all measure to a set of the form (3.9) with  $C^{(j)}$  constant (i.e., independent of  $\theta$  and  $i$ ). The reading is made easier by thinking of  $C^{(j)}$  as  $I_p$  and of  $D^{(i,j)}$  as  $\eta\eta'$  which they usually are in the sequel.

We remark that if  $r_{ij} = 0$ , the representation (3.12) should be replaced by the degenerate conditional prior law which assigns probability one to any single value of  $\gamma_j$  (e.g., zero) under  $H_i^*$ .

The relationship of (3.14) and (3.15) to (3.16) was not made clear. From (3.13) it follows that the numerator and denominator of (3.14) and therefore of (3.15) are independent of  $\beta$  and  $\theta$ . Hence, the numerator (resp. denominator) of (3.16) contains the numerator (resp. denominator) of (3.15) as a factor. Cancellation then yields the RHS of (3.16).

On the bottom line of page 756  $I_p$  should read  $I_r$ .

### CORRECTION TO

#### “MULTIVARIATE PROCEDURES INVARIANT UNDER LINEAR TRANSFORMATIONS”

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I am indebted to R. A. Wijsman for pointing out that the argument supporting Lemma 1 of this paper (*Ann. Math. Statist.* **42** 1569–1578) does not preclude the possibility that  $\gamma$  could be a different vector of constants on each orbit of