

ADDENDUM TO
LIPSCHITZ CONVERGENCE OF RIEMANNIAN MANIFOLDS

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It has come to the authors' attention that certain papers relevant to their paper were not cited in the original bibliography. Specifically, I. G. Nikolaev pointed out to us the relevance of his paper [3], which treats spaces of bounded curvature in the sense of A. D. Aleksandrov. He also pointed out the paper [4], which deals with the use of harmonic functions as coordinates on surfaces. The reader can consult [1] for a survey of the work of the Russian school on these and related subjects. (It is worth noting that the English language version of [1] appeared after the authors had completed the paper presently being amended.) Some further remarks on Soviet contributions to the use of harmonic functions as coordinates can be found in [2]. The authors regret their inadvertent omission of these references from the Russian literature.

REFERENCES

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- [2] J. Kazdan, *Prescribing the Curvature of a Riemannian Manifold*, Conf. Board Math. Sciences, Number 57, American Mathematical Society, Providence, Rhode Island, 1985.
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- [4] I. Kh. Sabitov and S. Z. Shefel', *Connections between the order of smoothness of a surface and that of its metric*, *Sibirsk. Mat. Zh.*, **17** (1976), 916–925 = *Siberian Math. J.*, **17** (1976), 687–694.