## QUERIES

37. Proposed by M.J. Evans, Western Illinois University and C.E. Weil, Michigan State University.

Call a subset $E$ of the real line $R$ symetric if for each $x \in R$, there is a positive number $\delta_{x}$ such that for all $0<h<\delta_{x}, x+h \varepsilon E$ if and only if $x-h \varepsilon E$. (That is, $E$ is symmetric if its characteristic function is a symmetric function in the sense of M. Foran, Real Analysis Exchange, vol. 1 no. 1, p. 38.) Must such a set E be Lebesgue measurable?

