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ERRATA

CORRECTION TO "IDEAL KAEHLERIAN SLANT SUBMANIFOLDS IN COMPLEX SPACE FORMS"

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We state a theorem of characterization of ideal Kaehlerian slant submanifolds in the complex Euclidean space.

Theorem 3.5. *Let M be an n-dimensional Kaehlerian slant submanifold of the complex Euclidean space $\mathbf{C}^n$ such that $Im\, h_p \neq T_p^{\perp}M$, at each point $p \in M$. Then M is ideal if and only if M is a ruled minimal submanifold.*

PROOF. Let M be an n-dimensional ideal Kaehlerian slant submanifold in $\mathbf{C}^n$. Then, by Theorem 2.1, M is a minimal submanifold.

Let U_l denote the interior of the subset consisting of points in M such that the relative null space at p has dimension l. Since Im $h_p \neq T_p^{\perp}M$, at each point $p \in M$, it follows that $U_l \neq \varnothing$, for some integer $1 \leq l \leq n$. By applying Codazzi equation, it is easily seen that $\operatorname{Ker} h$ is integrable on U_l and each leaf of $(\operatorname{Ker} h)|_{U_l}$ is an l-dimensional totally geodesic submanifold of $\mathbf{C}^n$. Thus, M contains a geodesic of $\mathbf{C}^n$ through each point $p \in U_l$. Since M is the union of the closure of all U_l, we conclude by continuity that M contains a geodesic of the ambient space through each point in M. Therefore, M is a ruled minimal submanifold.

The converse statement is obvious. □

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