ERRATA
CORRECTION TO DIRECT SUMMANDS OF DIRECT PRODUCTS OF SLENDER MODULES

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Two corrections are necessary.

LEMMA 4.2. *Let I and T_1 be as given. Write $I = \bigcup_0^r I_k$, $k \in K$ an ordinal, where, for each $k < r$, I_k is finite and equals $\{ i \in I | t_i$ is maximal in $T_1 \setminus \{ t_i | i$ is in some I_j with $j < k\}\}$ and where $\{ t_i | i \in I_r\}$ contains no maximal element or an infinite number of maximal elements. If I_r is not empty, it contains an infinite chain $i_1 < i_2 < \cdots$ such that, for each n, $t_i \not> t_{i_n}$ when every $i_1 \leq i \leq i_n$ and $i \in I_r$.*

Proof of (4.3). In the first paragraph we change I_n to I_k. By factoring we may consider two cases. The case $I = I_r$ is like Case 1 in the paper. Consider the case where I_r is empty. For each k in K let $V_k = \prod_{j<k}(\prod_{I_j} R_i)$ and $V^k = \prod_{j \geq k}(\prod_{i_j} R_i)$. Now $V_k = A_k \oplus B_k$ with A_k in A and B_k in B. Also $A = A_k \oplus A^k$ where $A^k = A \cap (B_k \oplus V^k)$. Let $C_k = A_{k+1} \cap A^k$. For fixed i $\alpha_i(C_k) = 0$ for almost all k so $\prod_K C_k$ exists and is in A. If $a \in A$, we may find c_k in C_k for each k so that $a - \sum_{i<j} c_i \in A^j$ for each j. Now $a - \sum c_k \in \bigcap A^k \subseteq A \cap B$. So $a = \sum c_k$ and $A = \prod_K C_k$, a vector group.