

✂ ERRATA, VOLUME 5 ✂

L. M. Blumenthal, *An extension of a theorem of Jordan and Von Neumann*,

p. 161, line 2, read “provided  $E$  is a complete normed linear space with an inner product.” for “provided all finite dimensional subspaces of  $E$  are euclidean spaces.”

p. 161, line 6, read “condition” for “conditions.”

p. 161, footnote 1, add “It is unimportant whether or not the space be assumed complete.”

p. 162, lines 3 and 5, read  $M$  for  $M$ .

p. 162, line 4, read “the metric property expressed by the Jordan Von Neumann relation” for “the Jordan-Von Neumann relation”.

p. 162, replace the last sentence “Thus the . . .” and the first word “But” of the next sentence by: “But these spaces do not necessarily have the euclidean five-point property. On the other hand, it is easy to show that”.

p. 163, line 3, read “it has the euclidean  $k$ -point property for every positive integer  $k$ .” for “it is congruent with a subset of a generalized euclidean space.”

p. 164, last line, read  $\bar{p}$ ,  $\bar{r}_0$ ,  $\bar{r}_1$ , for  $p$ ,  $r_0$ ,  $r_1$ .

p. 166, line 6 read “the essentially euclidean” for “the euclidean”.

Helmut Wielandt, *On eigenvalues of sums of normal matrices*,

p. 636, line 8 (second line of (3)), read  $<$  for  $>$ .

p. 636, line 9, delete the comma after “numbers”.

p. 636, line 10, the  $\alpha$ 's and  $\beta$ 's should all be of the same size.

p. 637, line 12, delete the period after “through”.

p. 637, line 13 and 21, read  $k$  for  $\kappa$ .

p. 638, line 9, read “UNIVERSITÄT” for “UNIVERSITY OF”.

F. H. Brownell, *An extension of Weyl's asymptotic law for eigenvalues*,

p. 485, line 8 from below, read  $r_0+1$  for  $r_0$ .

p. 487, line 13, read “positive  $r \leq r_0+1$  and  $\rho$ ” for “positive  $r$  and  $\rho$ ”.

p. 490, last line, read  $0 < r \leq 3$  for  $0 < r \leq 2$ .