

Theorem 14 is false as stated. We will show elsewhere that a positive parabolic function  $v$  on  $(-1, 1) \times (0, 1)$  has the integral representation given, for a finite measure  $\alpha$ , if and only if  $\lim_{t \rightarrow 1^-} v(0, t) < \infty$ . Here we take  $p_0 = (0, 1)$ .

We also note the following errors. Theorem 5 should read " $B|_{\Gamma} = C(\Gamma)$ " instead of " $B|_{\Gamma}$  dense in  $C(\Gamma)$ ". On p. 347 the definition  $B_n$  should read: "all  $C^2$  functions which satisfy  $u_{xx}(x, y) - u_{yy}(x, y) = 0$  and  $u_y(x, 0) = 0$ ".

Corrections to

## SUBSEQUENCES AND REARRANGEMENTS OF SEQUENCES IN $FK$ SPACES

ROBERT DEVOS

Volume 64 (1976), 129-135

In Lemma 1 and all subsequent results, whenever we take a sequence in  $E \setminus l^p$  we need take it in  $E \setminus (l^p \oplus \{e\})$ . This error was pointed out by R. A. Shoop.

Corrections to

## EXACT FUNCTORS AND MEASURABLE CARDINALS

ANDREAS BLASS

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Professor V. Trnková and J. Reiterman have informed me that the main results in [1] are contained in or easily deducible from [3] and that the example constructed in the last paragraph of [1] was also obtained in [2].

1. A. Blass, *Exact functors and measurable cardinals*, Pacific J. Math., **63** (1976), 335-346.
2. J. Reiterman, *An example concerning set-functors*, Comm. Math. Univ. Carolinae, **12** (1971), 227-233.
3. V. Trnková, *On descriptive classification of setfunctors*, Comm. Math. Univ. Carolinae, **12** (1971), 143-174 and 345-357.