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In the paper [1] whose title is included in the above title, an error in one estimate was found, although the main results still remain valid. In fact, line 6 of p. 292 is incorrect, and the corrected line should read

$$= cM^{k-3}|y|^{k^*}\frac{432c^2}{M^4}\sum_{m=3}^{k-4}\sum_{n=3}^{k-m-1}\frac{k|3n-k+m-1|}{mn(m-1)(n-1)(k-m-n+1)^2}.$$

As a consequence, we have that

$$|kQ_k| \le cM^{k-3}|y|^{k^*}\frac{432c^2}{M^4}\sum_{m=3}^{k-4}\sum_{n=3}^{k-m-1}\frac{k|3n-k+m-1|}{(m-1)^2(n-1)^2(k-m-n+1)^2}. \tag{1}$$

Theorem 1.1 and Corollary 1.2 of [1] remain true under this correction. To confirm this, it is sufficient to show the inequality at the bottom of [1, p. 292]:

$$|kQ_k| \le \frac{c}{18\tau}M^{k-3}|y|^{k^*}\times 6\tau \le \frac{c}{3}M^{k-3}|y|^{k^*}. \tag{2}$$

In fact, changing the original inequality in [1, line 6 of p. 292] to (1) affects only the proof of (2).

From here on out, we prove (2) assuming (1).

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