

CORRECTION TO

“COMPLEMENTS SUR LES MARTINGALES CONFORMES”

LAURENT SCHWARTZ

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- Page 78, line 22 $dX, dX^c, d\bar{X}$ read dX, dX^c, \tilde{dX}
- Page 80, (1.3), line 3 $A_n, C_n 1_{(S_n > s)}$ read $A_n, (C_n)_s 1_{(S_n > s)}$
- Page 81, line 11 $\bar{X}^c \sim 0$ read $\bar{X}' \sim 0$
- , line 12 $\bar{X}^c \sim 0$ read $\bar{X}' \sim 0$
- , footnote (5), line 3 égal à $\frac{1}{2}$ read égale à $\frac{1}{n}$
- Page 83, (2.4), line 2 $X^c, \bar{X}, [X, X]$ read $X^c, \bar{X}, [X, X]$
- Page 86, line 2 $\mathbf{R}_+ \times \Omega$ read $\bar{\mathbf{R}}_+ \times \Omega$
- , Proposition 3.4 B), line 4 de V' par read de V par
- Page 89, last line $s \in \bar{\mathbf{Q}}$ read $s \in \bar{\mathbf{Q}}_+$
- Page 90, line 1, formula (4.7)
 $\bar{\partial}\varphi_k(M)1_{[s, s^*]}[M', \bar{M}']$ read $\partial\bar{\partial}\varphi_k(M)1_{[s, s^*]}[M', \bar{M}']$
- , line 18
 $((\varphi(M))^{s^-} - (\varphi(M))^s)1_{(s > s)}$ read $((\varphi(M))^{s^-} - (\varphi(M))^s)1_{(s > s)}$
- Page 91, (5.2), line 4 (resp. $C_b^k + Ci_b^k$) read (resp. $C_b^k + iC_b^k$)
- Page 93, line 9 $T^1(V; v) + iT^0(V; v)$ read $T^1(V; v) + iT^1(V; v)$
- , last formula (x, L) read $(x, L) \mapsto$
- Page 95, line 2 from the bottom sous l'identité read sont l'identité
- Page 96, (6.1.1), line 1 $DX^{i,j}$ read $dX^{i,j}$
- , line 2
 $\overline{dX}^{2,0}$ (complexe conjuguée) read $\overline{dX}^{2,0}$ (complexe conjuguée)
- Page 97, line 7 $(dX^c)^{0,1} = (dX^{0,2})^c$ read $(dX^c)^{0,1} = (\overline{dX}^{0,2})^c$
- Page 100, (6.8), line 2 $dX^{2,0}$ read $\overline{dX}^{2,0}$
- , line 4 $dX^{2,0}$ read $\overline{dX}^{2,0}$
- , Corollaire 6.8, Demonstration, line 3
 $A = \mathbf{R}_+ \times \Omega$ read $A = \bar{\mathbf{R}}_+ \times \Omega$
- Page 101, line 18 $0, +\omega$ read $0, +\infty$
- , footnote, line 4 $H \cdot Z$ dans $\mathcal{S}\mathcal{H}$ read $H \cdot Z$ dans $\mathcal{S}\mathcal{M}$
- Page 102, last line et si $\bar{X}(\omega)$ read et si $\bar{X}'(\omega)$