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CORRECTION TO
"A CONSTRUCTION FOR IRREGULAR DISCRIMINANTS"

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- 365 -11 ...the ideal $(A_i, \frac{1}{2}(B_i + \sqrt{D}))$...
- 390 +11 ...once it is determined that the square-free part of $D(t)$ has degree at least three.
- 391 -12 ...we observe that $(A_i(t), B_i(t))$ divides R_i hence T . By (77), it must therefore divide $(A_i(3), B_i(3))$, which equals 1 by Part 7.
- 400 +8 $\nu=17555^2+462\cdot 389^2$

It may also be remarked that both (33) and the solution discussed in Note A can be obtained by the chord and tangent process applied to the intersections of the plane cubic curve (27) with the line $\lambda=0$.