

## ERRATA, VOL. 8

- T. Tamura: *Indecomposable completely simple semigroups except groups*.  
 p. 38, line 15. (Lemma 7). For " $\bar{D}$ " read " $D$ ", for " $D_E$ " read " $\bar{D}_E$ ".  
 p. 38, line 25. (Lemma 8). For " $(\lambda_1, \mu_1)$ ", read " $(\lambda, \mu)$ ".  
 p. 40, line 24. For "is not" read "goes".
- T. Tamura: *The theory of construction of finite semigroups. I*.  
 p. 247, line 25. For " $= \bigvee_{\alpha} \bar{\varphi}_{\alpha}$ " read " $= \bigvee_{\alpha} \varphi_{\alpha}$ ".  
 p. 254, line 30. For " $u$ " read " $z$ ".  
 p. 254, line 31. For " $z$ " read " $u$ ".  
 p. 257, line 12. For "6" read "9".  
 p. 260, line 21. (§ 11). For "idempotent" read "unipotent".

## REMARK

On page 253, we defined a monomial  $f(x_1, \dots, x_n)$  of  $x_1, \dots, x_n$ , in which we wrote "we must contain a variable at least", but this is to be excluded. (See Example 12, p. 254) However, we must add, "When monomials are used in an equality  $f(x_1, \dots, x_n) = g(x_1, \dots, x_n)$ , one at least of both sides must contain a variable at least".

H. Noguchi: *On regular neighbourhoods of 2-manifolds in 4-Euclidean Space. I*,

Theorem 1 (p. 229) is false. But it holds if we restrict the concept of regular neighbourhood as follows:

By a regular neighbourhood of  $K$  in  $M^n$  which has no boundary we shall mean a subcomplex  $U(K, M^n)$  of  $M^n$ , such that  $|U(K, M^n)|$  is an  $n$ -manifold having  $|K|$  in its interior and  $|U(K, M^n)|$  contracts geometrically into  $|K|$ .

For "oriented" read "orientable oriented", lines 23, 29 page 230; lines 3, 12 page 231; line 17 page 237; line 34 page 238; lines 11, 36 page 240; lines 27, 28 page 241; lines 3, 11, 17 page 242.

I withdraw the eight-th line of page 231.

The proof of Lemma  $n$  in 4.2 (pp. 234-235) is not correct. Hence all the proofs in sections 4, 5 and 6 are erroneous.