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RESEARCH ANNOUNCEMENTS

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TOPOLOGICAL CONCORDANCES

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1. Introduction. In this announcement we outline a proof of Hudson's theorem, "Concordance implies isotopy in codimension 3" [3], for topological manifolds. This theorem is also proved by Armstrong [1] in case the ambient manifold is PL, using methods similar to those employed by Hudson. Our approach is to generalize the methods of Morlet [5] to the topological case, using PL approximating theorems locally. We have also generalized Morlet's results on the higher homotopy groups of concordance spaces to the topological case [6]. Detailed proofs will appear elsewhere [7]. I wish to thank Professor Lashof at the University of Chicago for many useful discussions and suggestions.

2. Statement of results. Let M and V be topological manifolds. By an embedding $\varphi: M \to V$ we understand a locally flat embedding such that $\varphi^{-1}(\partial V) = \partial M$ and φ meets the boundary regularly. We prove the following theorems:

THEOREM 1. Let V^n be a topological manifold and M^q a compact topological handlebody. Let

 $\phi: (M \times I, M \times 0, M \times 1) \rightarrow (V \times I, V \times 0, V \times 1)$

be an embedding. Denote $\phi | M \times 0$ by g and assume

$$\varphi | \partial M \times I = (g | \partial M) \times 1_I$$

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