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*The Riemann problem and interaction of waves in gas dynamics*, by Tung Chang (Tong Zhang) and Ling Hsiao (Ling Xiao). Longman Scientific and Technical (Pitman Monographs No. 41), Essex, 1989, 272 pp. ISBN 0-582-01378-X

Many phenomena involving nonlinear wave motion fit into the mathematical framework of the so-called "hyperbolic systems of conservation laws." These are systems of nonlinear partial differential equations which describe the conservation of certain physical quantities, e.g., mass, momentum, energy, etc. The equations take the form  $\text{div } \phi(u) = 0$ , where the divergence is with respect to the space-time independent variables, and  $\phi$  is a nonlinear function of the unknown state variable  $u$ .

The most mathematically well-understood case is that of one