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Note: Two new papers in Clifford analysis have just appeared in Complex Variables Theory Appl. **2** (1983). R. Delanghe is a member of the editorial board of this new journal.

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Cohomology of groups, by Kenneth S. Brown, Graduate Texts in Mathematics, Vol. 87, Springer-Verlag, New York, 1982, x + 306 pp., \$28.00. ISBN 0-3879-0688-6

The cohomology theory of abstract groups is a tool kit, in much the same way as is representation theory. One of its attractions is its breadth: the