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BULLETIN (New Series) OF THE
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Hilbert's third problem, by Vladimir G. Boltianskiĭ (translated by Richard A. Silverman and introduced by Albert B. J. Novikoff), Scripta Series in Math., Wiley, New York, 1978, x + 228 pp., \$19.95.

1. Since the response to the title of this book is invariably “What is Hilbert’s third problem?”, let us begin by considering the problem itself. Loosely speaking, it asks whether there is any way of deriving the formula for the volume of a tetrahedron without using calculus. Clearly there is no hope of avoiding all mention of limits in most questions of volume, for it is by appealing to a limit process that the very notion of volume is extended to any figure more general than a rectangular solid having rational edges. Analogously, limits are needed to extend the concept of area beyond rectangles having rational sides. Hilbert’s problem acknowledges such fundamental