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G-TRANSVERSALITY

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Let G be a compact Lie group and N, M and $Y \subset M$ be smooth G manifolds. Suppose $f: N \rightarrow M$ is a proper G map. We give an obstruction theory (Theorem 1) for a proper G homotopy between f and a map g transverse to Y written $f \pitchfork Y$. In this generality we cannot say more; however, when $f: N \rightarrow M$ is a quasi-equivalence of G vector bundles over Y , this can be considerably improved (Theorem 2) by removing the dependence of the map f . By definition f is a quasi-equivalence if N and M are G vector bundles over Y and f is proper, fiber preserving and degree 1 on fibers. *To be concise we suppose G is abelian* and omit applications and insights, referring to [1] and [2] for further information.

Let K be a subgroup of G and \hat{K} the set of real irreducible K modules. If Γ and Ω are real K modules, let $V_{\Gamma, \Omega}$ denote the space of surjective real K homomorphisms of Γ to Ω . By Schur's lemma $V_{\Gamma, \Omega} = \prod_{\psi \in \hat{K}} V_{\Gamma, \Omega}^{\psi}$ where $V_{\Gamma, \Omega}^{\psi}$ has the homotopy type of the Stiefel manifold of b_{ψ} frames in the D_{ψ} vector space of dimension a_{ψ} . Here D_{ψ} is the division algebra of real K endomorphisms of ψ and $\Gamma = \sum_{\psi \in \hat{K}} a_{\psi} \psi$, $\Omega = \sum_{\psi \in \hat{K}} b_{\psi} \psi$.

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