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CORRECTION TO *A POLYNOMIAL ANALOG OF THE GOLDBACH CONJECTURE*[1]

BY DAVID HAYES

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On page 116 of this paper, I state that if $r<2h$, then $\pi_K(r, d) \leqq d$ for $d>1$. This will be true in general only when H is an irreducible. However, the proof will still go through if either (1) H is square-free or else (2) $h+1$ is not divisible by the characteristic of the underlying finite field. That one of these conditions hold should therefore be added to Theorem 2 as a hypothesis.

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[1] Bull. Amer. Math. Soc. **69** (1963), 115–116.