such a continuum in a paper, in Russian, entitled *On the set of bound-*
ary values of meromorphic functions, which appeared in 1952 in the
Doklady of the Soviet Academy.

Another section is devoted to the notion of Baire category, as
applied to the theory of cluster sets, which in recent years was de-
veloped by Bagemihl and the reviewer and by Collingwood. Among
other results appearing here are the well-known theorems of Plessner
and of Lusin and Privalov, as well as the "two-chord" theorem of
Meier. It is not clear to the reviewer why the latter is referred to as a
sharpening of Plessner's theorem.

The final section of Chapter III studies the boundary behavior of
functions of bounded type, investigated recently by Lehto, and of
normal functions. In connection with functions of bounded type,
reference should have been made to Gehring's interesting paper which
appeared in the Quarterly Journal of Mathematics in 1958. The class
of normal functions was first introduced by the author in an un-
deservedly little known paper in 1939, in which he also derived some
important properties of this interesting class of functions. Subse-
quently, in 1957 Lehto and Virtanen independently rediscovered
these functions and made significant contributions to their theory.

Two omissions in Chapter III should be noted. The Uniqueness
Theorem 7 in §3 is very closely related to Corollary 3 of the first of
Bagemihl's papers listed in the bibliography, but no mention is
made of this. Also, no mention is made of the fact that Theorem 15
in §3 was proved independently by Bagemihl and the reviewer in
the paper listed as [5] in the bibliography.

The last chapter goes into extensions of the theory of cluster sets
to single-valued analytic functions on open Riemann surfaces, and a
short appendix touches on extensions to pseudo-analytic functions.
The book ends with an excellent bibliography.

The author is to be congratulated for his concise, but very read-
able, survey of a highly technical and extensive subject. It can be
warmly recommended to any one who wishes to become acquainted
with this branch of function theory.

                                                          W. SEIDEL

Funktionalgleichungen der Theorie der geometrischen Objekte. J. Aczél
    and S. Gołab. Panstowe Wydawnictwo Naukowe, Warsaw, 1960.
    172 pp. DM 36.00.

In the 1930's a rather interesting correspondence took place be-
tween the Dutch differential geometers J. A. Schouten and J.
Haantjes on one side, and their Polish colleague A. Wundheiler on