

branches as its essential part? Botanists tell us that the question is badly framed, and that the life of the organism depends on the mutual action of its different parts.

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#### DARBOUX'S MEMOIR ON CYCLIQUES.

*Sur une Classe Remarquable de Courbes et de Surfaces Algébriques et sur la théorie des Imaginaires*, par GASTON DARBOUX, Doyen de la Faculté des Sciences de Paris. Second tirage. Paris, A. HERMANN, 1896.

It is a pity that M. Darboux did not make some additions to this work since its first publication in 1873. He is so full of ideas in a number of mathematical directions that it is a cause for regret that he has not devoted some more time to a subject which offered him once such a fruitful field for original investigation. However, those who know the work will be glad to make acquaintance with it again, and others who are tired of conic sections and quadratics may be gratified by finding in it a somewhat similar but still novel field of investigation.

Darboux calls the curves and surfaces which he treats of cycliques and cyclides, respectively. The latter word has been generally adopted in English as a name for the surfaces, but the former has been replaced by bicircular quartics and sphero-quartics, which two designations conveniently distinguish between the plane and spherical curves. The name cyclide had already been used for a particular form of the surface by Dupin, and soon came to be adopted generally in its present sense, while the different names of the curves arose from their being studied independently in Great Britain and France. At one time, from about 1865 until early in the seventies, these curves and surfaces were studied enthusiastically in France by Darboux, Laguerre, de la Gournerie, Moutard, Mannheim and others, while they received attention in England at the hands of Crofton and Clifford, and in Ireland secured very full and adequate treatment from Casey. All these mathematicians worked at the same time and nearly entirely independently of each other. Thus Darboux's book contains much that has been more fully worked out elsewhere, and, besides, of course, it has no references to many striking results that have been arrived at in this branch of geometry, as, for instance, Casey's ingenious method of rectification of the bicircular quartics and sphero-quartics. But these wants are made up