

# New heterotic non-Kähler geometries

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## Abstract

New heterotic torsional geometries are constructed as orbifolds of  $T^2$  bundles over  $K3$ . The discrete symmetries considered can be freely acting or have fixed points and/or fixed curves. We give explicit constructions when the base  $K3$  is Kummer or algebraic. The orbifold geometries can preserve  $\mathcal{N} = 1, 2$  supersymmetry in four dimensions or be non-supersymmetric.

## 1 Introduction

Heterotic string compactifications play a prominent role in string theory model building as the standard model gauge group can be easily incorporated