

## Erratum to “Asymptotic Expansion of the Heat Kernel for Orbifolds”

EMILY B. DRYDEN, CAROLYN S. GORDON,  
SARAH J. GREENWALD, & DAVID L. WEBB

In [1], for each stratum  $N$  of the singular set, we define a subgroup  $\text{Iso}^{\max}(N)$  of the isotropy group of  $N$ . The subgroups  $\text{Iso}^{\max}(N)$  play an important role in the heat invariants. In Theorem 5.1 (one of the applications of the heat invariants), there is an implicit assumption that  $\text{Iso}^{\max}(N)$  is nontrivial. Thanks to a question from Naveed Bari, we now realize that  $\text{Iso}^{\max}(N)$  may be trivial. The strata for which  $\text{Iso}^{\max}(N)$  is trivial do not appear in the heat invariants, necessitating the addition of a hypothesis to Theorem 5.1. An example for which  $\text{Iso}^{\max}(N)$  is trivial and the modified statement of Theorem 5.1 follow.

EXAMPLE. On  $\mathbb{R}^3$ , let  $r_x$ ,  $r_y$ , and  $r_z$  denote the rotation through angle  $\pi$  about the  $x$ -,  $y$ -, or  $z$ -axis, respectively. Then  $G := \{r_x, r_y, r_z, \text{Id}\}$  is a Klein 4-group acting isometrically on  $\mathbb{R}^3$ . It is convenient to view the nontrivial elements of  $G$  as diagonal matrices with

$$r_x = \begin{bmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{bmatrix}, \quad r_y = \begin{bmatrix} -1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & -1 \end{bmatrix}, \quad \text{and}$$

$$r_z = \begin{bmatrix} -1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & 1 \end{bmatrix}.$$

The quotient of  $\mathbb{R}^3$  by  $G$  is an orbifold. The axes project to 1-dimensional strata, and the origin projects to a 0-dimensional stratum for which  $\text{Iso}^{\max}(N)$  is trivial.

5.1. THEOREM. *Let  $\mathcal{O}$  be a Riemannian orbifold with singularities. If  $\mathcal{O}$  is even dimensional (respectively, odd dimensional) and if there exists an odd-dimensional (respectively, even-dimensional)  $\mathcal{O}$ -stratum  $N$  of the singular set with  $\text{Iso}^{\max}(N)$  nontrivial, then  $\mathcal{O}$  cannot be isospectral to a Riemannian manifold.*

We remark that  $\text{Iso}^{\max}(N)$  is nontrivial for all strata  $N$  that have maximal dimension within any given component of the singular set.