MEMOIRS OF THE COLLEGE OF SCIENCE, UNIVERSITY OF KYOTO, SERIES A Vol. XXXIII, Mathematics No. 3, 1961.

## Supplements and corrections to my former papers

By

## Yukio Kusunoki

(Received Jan. 15, 1961)

## I. Corrections

("*nt*"("*nb*") means respectively the *n*-th line from top (bottom))

1. "Contributions to Riemann-Roch's theorem" This memoirs, vol. 31 (1958) pp. 161-180

The following slight modifications would make our argument correct and more neat.

- 12b, p. 162 Delete the sentence "We normalize  $\cdots$  at  $Q_1$ " and insert, after the definition of the space S, "In case of the non-integral divisor  $\delta = \delta_{(P)}/\delta_{(Q)}$ , we identify two integrals or functions in  $M(\supset S)$  if they are identical except a constant. Therefore every element of S is then an equivalent class (in M) containing a single-valued function which is a multiple of  $\delta_{(Q)}/\delta_{(P)}$ . Anyway, dim S is equal to the number of linearly independent functions which are single-valued and multiples of  $1/\delta$ ".
- 3t, p. 163 Omit "and vanish at  $Q_1$ "
- 8t, p. 166 Replace "Now if  $\cdots$  absurd" by "If we choose  $\varphi = \phi_{Q_1Q_t} \in E$ , then we have  $c = \Omega(Q_t) = \Omega(Q_1)$   $(t=2, \cdots, s)$ ".
- 10t. p. 166 Replace  $\Omega$  by  $\Omega c$ .

Corresponding modifications should be made for the spaces M' (15t, p. 167), M(W) (17t, p. 169), and also the space M (6t, p. 249) in my paper;

[\*] "Theory of Abelian integrals and its applications to conformal mappings" This memoirs, vol. 32 (1959) pp. 235-258