

## Erratum

# Erratum to “Some Geometric Properties of the Domain of the Double Sequential Band Matrix $B(\tilde{r}, \tilde{s})$ in the Sequence Space $\ell(p)$ ”

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The purpose of this short note is to rectify the misprints in Part (iii) of Proposition 5 and its proof in the recent paper by Nergiz and Başar [1]. The reader may refer for relevant terminology to Nergiz and Başar [1].

Now, we give the corrected Part (iii) of Proposition 5 and its proof.

**Proposition 5.** *The modular  $\sigma_p$  on  $\ell(\tilde{B}, p)$  satisfies the following properties with  $p_k \geq 1$  for all  $k \in \mathbb{N}$ :*

(iii) *if  $\alpha \geq 1$ , then  $\sigma_p(x) \geq \alpha \sigma_p(x/\alpha)$ .*

*Proof.* Consider the modular  $\sigma_p$  on  $\ell(\tilde{B}, p)$ .

(iii) Let  $\alpha \geq 1$ . Then,  $\alpha/\alpha^{p_k} \leq 1$  for all  $p_k \geq 1$ . So, we have

$$\begin{aligned} \sigma_p(x) &= \sum_k |s_{k-1}x_{k-1} + r_kx_k|^{p_k} \\ &\geq \sum_k \frac{\alpha}{\alpha^{p_k}} |s_{k-1}x_{k-1} + r_kx_k|^{p_k} = \alpha \sigma_p\left(\frac{x}{\alpha}\right), \end{aligned} \quad (10)$$

which completes the proof of Part (iii). □

We also record that the relation (19) must be corrected as follows:

$$\left|\frac{1}{k}\right| \|kx\| \leq \left\|\frac{1}{k}kx\right\| = \|x\|, \quad \|kx\| \leq |k| \|x\|. \quad (19)$$

## References

- [1] H. Nergiz and F. Başar, “Some geometric properties of the domain of the double sequential band matrix  $B(\tilde{r}, \tilde{s})$  in the sequence space  $\ell(p)$ ,” *Abstract and Applied Analysis*, vol. 2013, Article ID 421031, 7 pages, 2013.