# **NOTES**

#### **CORRECTION TO**

#### "SEQUENTIAL RANK TESTS FOR LOCATION"

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A part of the proof of Theorem 3.3 of the above paper (Ann. Statist. 2 540-552) is based on Lemma 4.3. This lemma is based on Sen [19]. In view of the correction note to [19] (Ann. Statist. 2 1358), Lemma 4.3 is no longer valid. Therefore, the following changes are necessary to prove Theorem 3.3 correctly.

Consider the stopping variables  $\tilde{N}_{J,\varepsilon}^{(i,i)}(\Delta,\phi)$ , i=1,2, defined in the same way as (2.10), replacing  $a,b,C_m^*$  and  $T_m(\Delta/2)$  respectively by  $a_{\varepsilon,i},b_{\varepsilon,i},C(F)$  and  $W_m(\phi,\Delta)+m\xi((\frac{1}{2}-\phi)\Delta)$ ; (4.4) may be referred to for the definitions of  $a_{\varepsilon,i}$  and  $b_{\varepsilon,i},i=1,2$ . In view of Lemmas 4.1 and 4.2, for every  $\eta>0$ ,

$$\lim_{\Delta \to 0} \Delta^2 E_{\phi} \tilde{N}_{J,\varepsilon}^{(1,1)}(\Delta,\phi) - \eta \leq \lim_{\Delta \to 0} \Delta^2 E_{\phi} N_J(\Delta) \leq \lim_{\Delta \to 0} \Delta^2 E_{\phi} \tilde{N}_{J,\varepsilon}^{(2,2)}(\Delta,\phi) + \eta.$$

On the other hand,  $\tilde{N}_{J,\varepsilon}^{(i,i)}(\Delta,\phi)$  being based on i.i.d. rv's, the Wald fundamental lemma applies to their expectations. Hence, for sufficiently small  $\varepsilon$ ,

$$\Delta^2 E_{\phi} \tilde{N}_{J,\varepsilon}^{(i,i)}(\Delta, \phi) \longrightarrow \psi(\phi, \tau)$$
 as  $\Delta \longrightarrow 0$ .

The result follows.

### **CORRECTION TO**

## "SIMULTANEOUS CONFIDENCE INTERVALS FOR CONTRASTS AMONG MULTINOMIAL POPULATIONS"

By Leo A. Goodman University of Chicago

In the above paper (Ann. Math. Statist. 35 716-725), delete the brief sentence on page 720, lines 24-5:

"These values  $\cdots \sum_{j=1}^{I} p_j = 1$ ."